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## On some types of stability for systems of difference equations

We consider a perturbed nonlinear system of difference equations of the form

$$Y(n+1) = A(n)Y(n) + F(n, Y(n), TY(n)) \quad (1)$$

and the linear system

$$Y(n+1) = A(n)Y(n), \quad (2)$$

where  $A$  denote the matrix  $k \times k$ ,  $T$  is the continuous operator and  $F : \mathbb{N}(n_0) \times \mathbb{R}^k \times \mathbb{R}^k \rightarrow \mathbb{R}^k$ .

In the paper notions of  $\psi$ -stability,  $\psi$ -asymptotic stability and  $(\psi, l^p)$ -stability of trivial solution of (2) are introduced and several new sufficient conditions, for mentioned types of stability, are proved. Furthermore, sufficient conditions are given for the  $l^p$ -stability of perturbed system (1).